

## 7.2 Absolute Value Functions

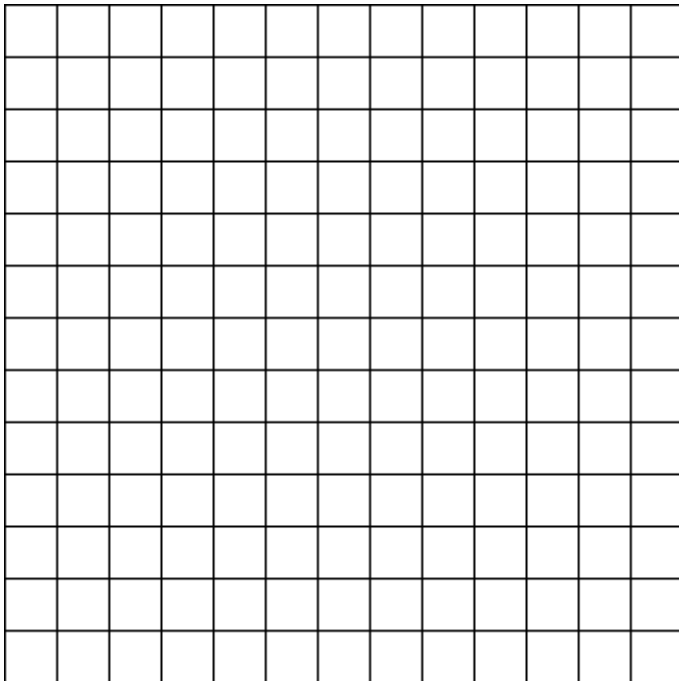
Graph an Absolute Function of the form  $y = |a x + b|$

**Example 1:**

Given  $y = |3x + 4|$

a.) Find y-intercept ( $x=0$ ) and x-intercept ( $y=0$ )

b.) Use table of values to sketch a graph.



c.) State the domain and range

d.) An **invariant point** is a point that remains unchanged after a transformation:  
Compare the graph of  $y = 3x + 4$  and  $y = |3x + 4|$ , where is the invariant point?

Does this apply for all absolute value functions in the form  $y = |ax + b|$  ?

e.) Express as a piecewise function

Recall:

$$f(x) = |x| = \begin{cases} x, & \text{if } x \geq 0 \\ -x, & \text{if } x < 0 \end{cases}$$

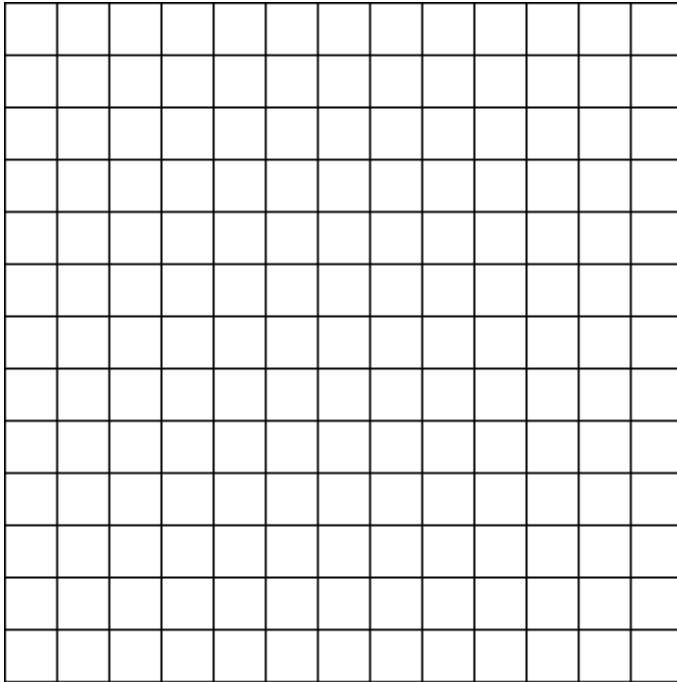
Look at the graphs of  $y = |3x + 4|$  and  $y = 3x + 4$ , which points are stay the same and which parts do we need to apply a negative sign to simplify?

**Graph an Absolute Value quadratic function:**

**Example 2:**

Given  $y = |x^2 - 6x + 9|$

a.) Sketch the function without the absolute values.

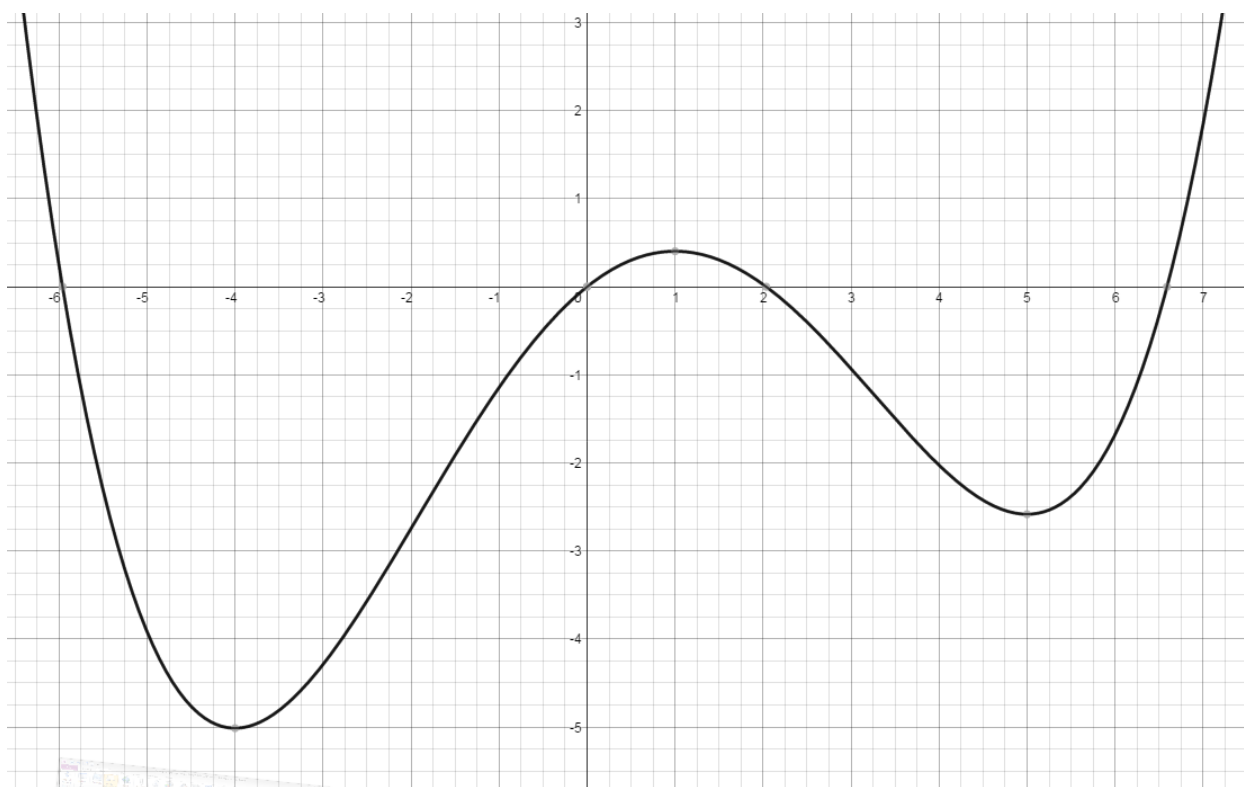


b.) On the same graph, which parts change from a negative value to a positive value? Which parts remain positive? (\*recall that we are only looking at the y-values/height of the graph)

c.) Express the function as a piecewise function:

**Example 3:**

The graph below is  $y = f(x)$ , sketch  $y = |f(x)|$



HW: p 375 1-15